

DOS 2021 : Continuous systems

Number of participants: 15

1

A continuous system has

as many
eigenfrequencies
as there are
joints in the
structure



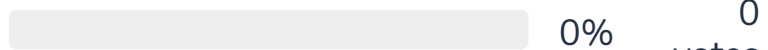
3
votes

✓ an infinite
number of
eigenfrequencies



11
votes

it depends on
the frequency
band of the
excitation signal



0
votes

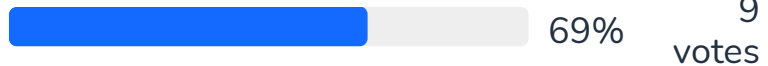
2

In practice, the number of dofs in a finite element is usually dictated by

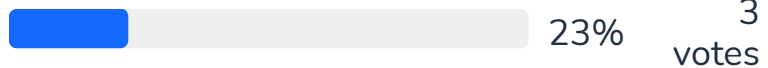
The dynamics of the system



✓ The geometry of the system

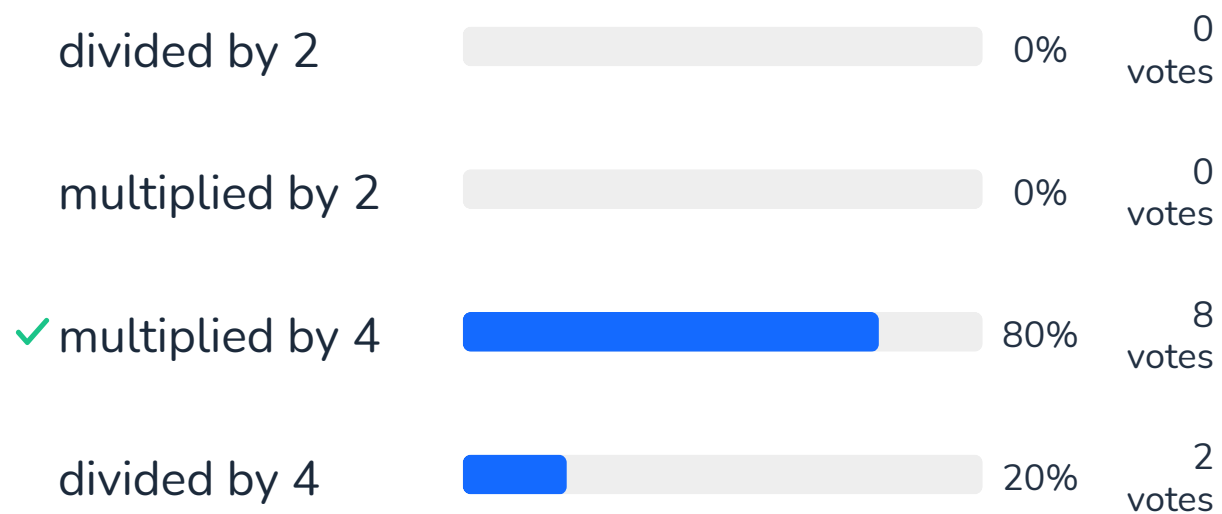


The frequency of excitation of the system



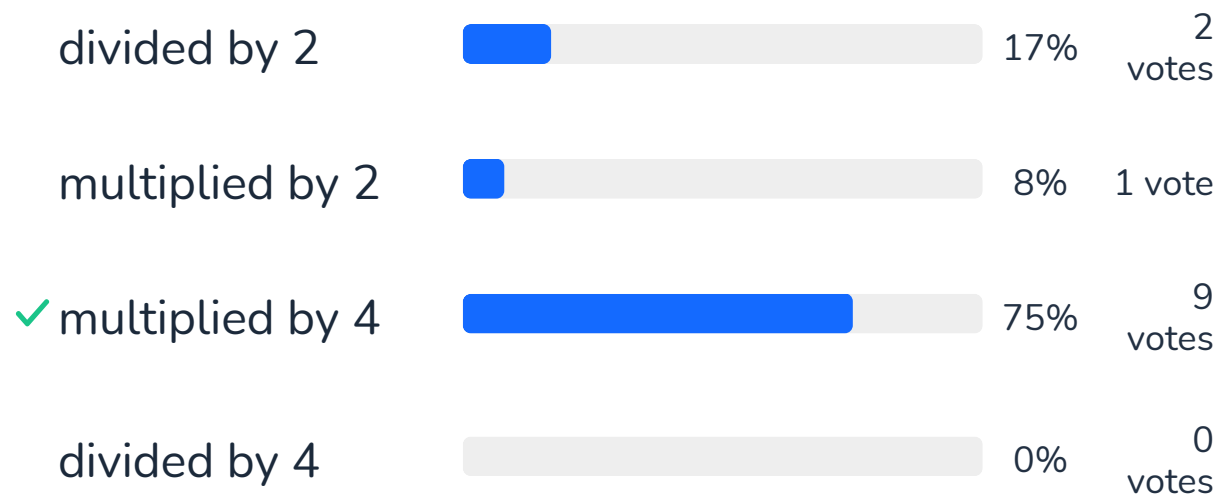
3

If the length of a bar is divided by 4, its natural frequency corresponding to traction-compression modes is



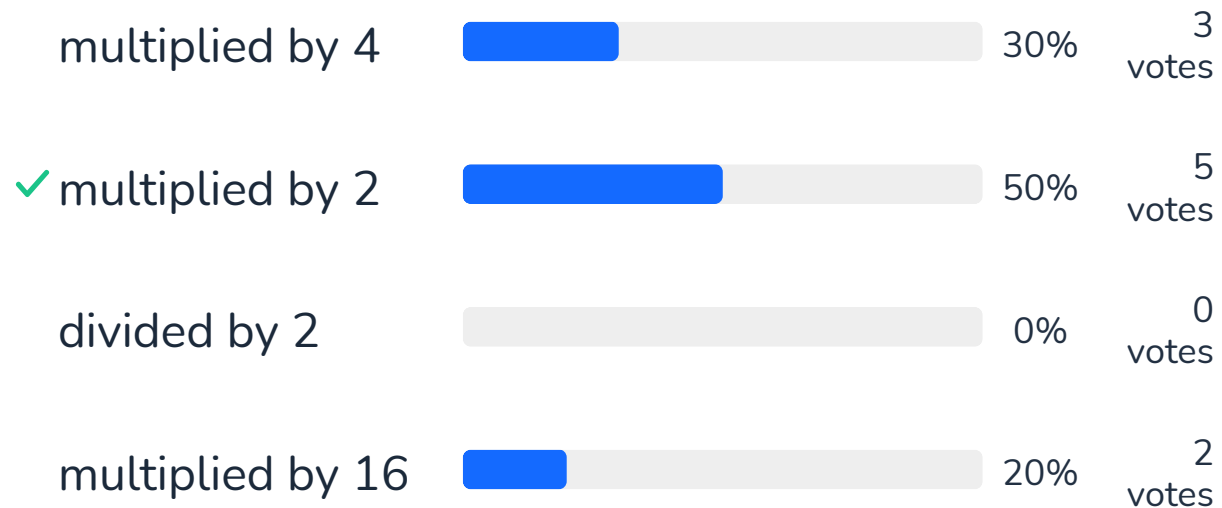
4

If the length of a beam is divided by 2, its first natural frequency corresponding to a bending mode shape is



5

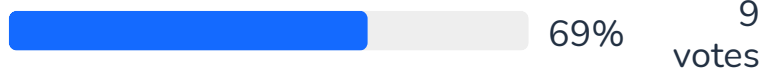
If the stiffness of a beam is multiplied by 4, its natural frequencies are



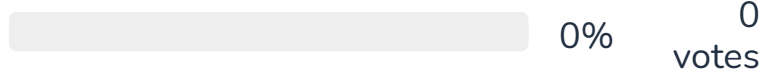
6

Modal truncation consists in

✓ computing the response of a system using only the modes which are excited by the external forces



computing the response of a system using only the first 5 modes



using a truncation of the Fourier series of the excitation signal



7

When performing modal truncation, the usual practice consists in

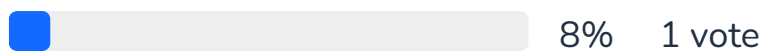
taking strictly the number of modes present in the frequency band of interest



✓ taking the number of modes in the band $[0 \ 1.5 w_{\max}]$ where w_{\max} is the max frequency of the band of interest



taking the number of modes in the band $[0 \ w_{\max}/1.5]$ where w_{\max} is



the max
frequency of the
band of interest

8

Consider a bar for which the ten first natural frequencies are at 1, 2, 3, 4, 5, 6, 7, 8, 9 and 10 Hz. You wish to compute the response using the truncation in the modal basis, from 0 to 5 Hz. How many modes should you use ?

