

VIB : Continuous systems

Number of participants: 27



1. A continuous system has

20 correct answers
out of 21 respondents

as many eigenfrequencies
as there are joints in the
structure



0 votes

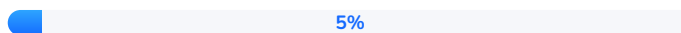


an infinite number of
eigenfrequencies



20 votes

it depends on the frequency
band of the excitation signal



1 vote



2. Can you match the boundary condition type for these real world structures

21 respondents



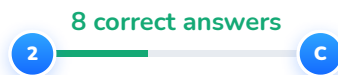
Lower control arm of a car



Hinged



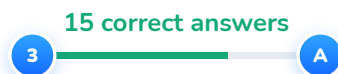
Bridge support



Rolling



Wind turbine

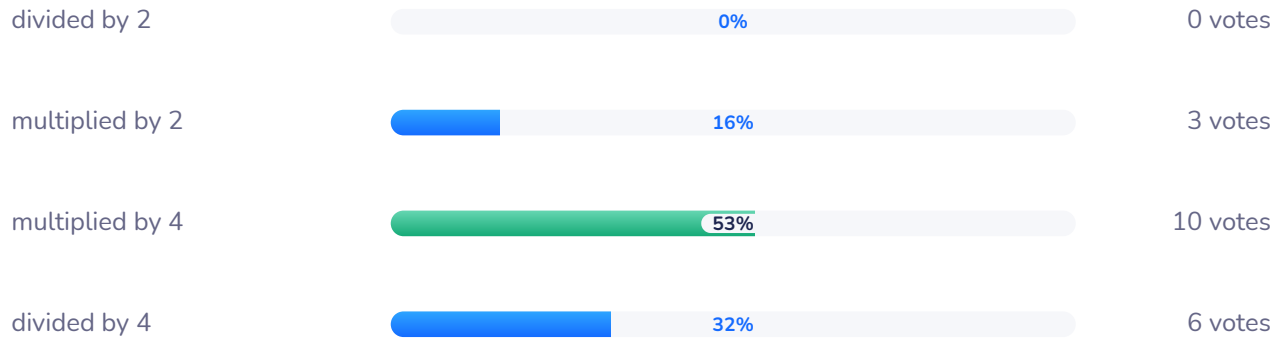


Clamped



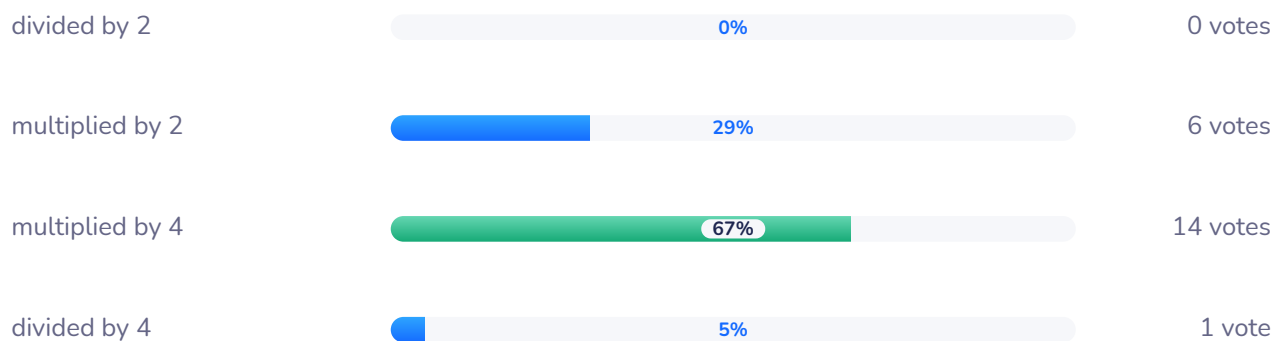
3. If the length of a bar is divided by 4, its natural frequency corresponding to traction-compression modes is

10 correct answers
out of 19 respondents



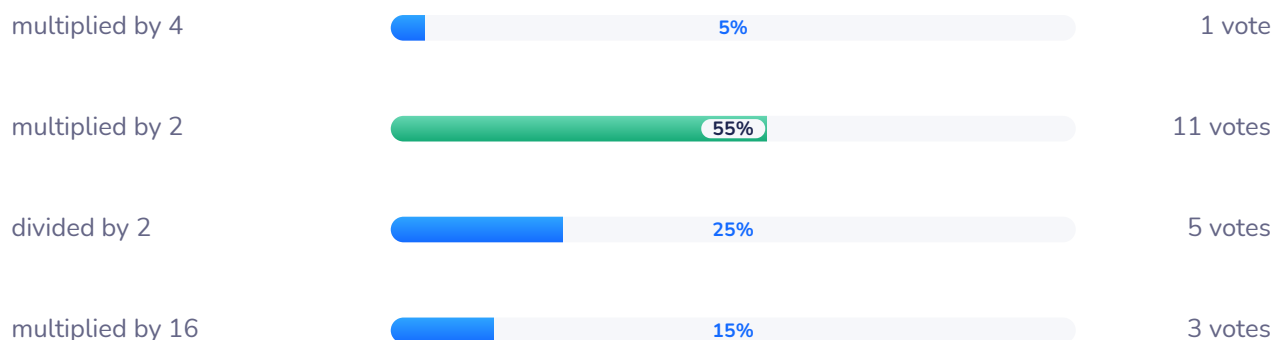
4. If the length of a beam is divided by 2, its first natural frequency corresponding to a bending mode shape is

14 correct answers
out of 21 respondents



5. If the stiffness of a beam is multiplied by 4, its natural frequencies are

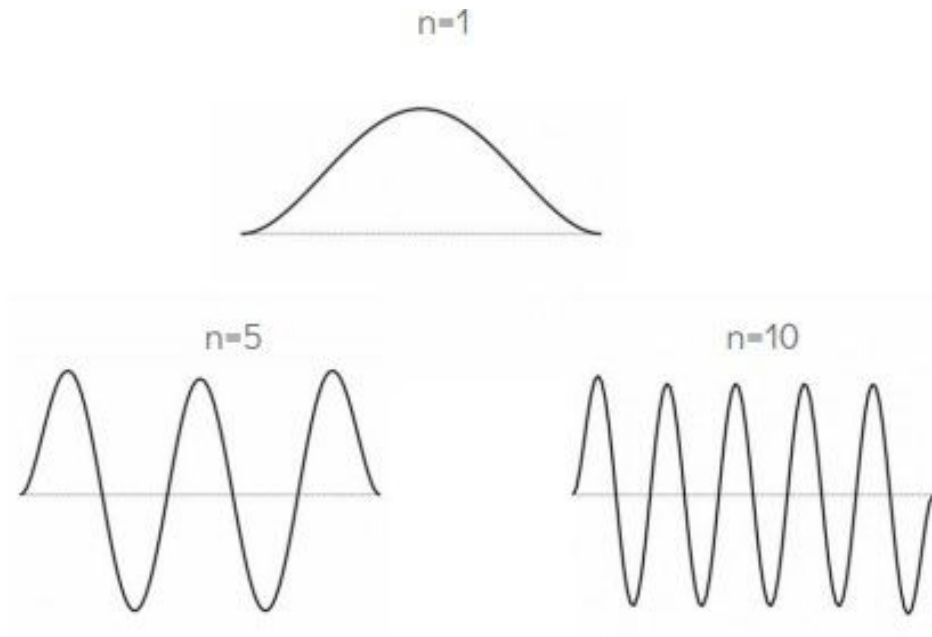
11 correct answers
out of 20 respondents





6. From which kind of continuous system are these the modeshapes?

9 correct answers
out of 21 respondents



A simply supported beam



38%

8 votes



A cantilevered beam



19%

4 votes



A double cantilevered beam



43%

9 votes



7. Modal truncation consists in

10 correct answers
out of 18 respondents



computing the response of a system using only the modes which are excited by the external forces



10 votes

computing the response of a system using only the first 5 modes



3 votes

using a truncation of the Fourier series of the excitation signal



5 votes



8. When we truncate, what error do we introduce?

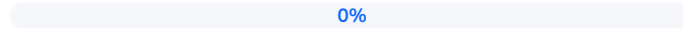
13 correct answers
out of 20 respondents

We change the number of resonance frequencies in the frequency band of interest



7 votes

We change the frequencies of the first 5 modes



0 votes



We ignore the influence of out-of-band modes in the frequency band of interest



13 votes



9. When performing modal truncation, the usual practice consists in

9 correct answers
out of 21 respondents

taking strictly the number of modes present in the frequency band of interest



2 votes



taking the number of modes in the band $[0, 1.5 \cdot w_{max}]$ where w_{max} is the max frequency of the band of interest



9 votes

taking the number of modes in the band $[0, w_{max}/1.5]$ where w_{max} is the max frequency of the band of interest



10 votes



10. Consider a bar for which the ten first natural frequencies are at 1, 2, 3, 4, 5, 6, 7, 8, 9 and 10 Hz. You wish to compute the response using the truncation in the modal basis, from 0 to 5 Hz. How many modes should you use ?

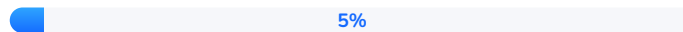
20 correct answers
out of 21 respondents

5 modes



0 votes

10 modes



1 vote



8 modes



20 votes