

VIB : Continuous systems

Number of participants: 26



1. A continuous system has

15 correct answers
out of 18 respondents

as many eigenfrequencies as there are joints in the structure



2 votes



an infinite number of eigenfrequencies



15 votes

it depends on the frequency band of the excitation signal

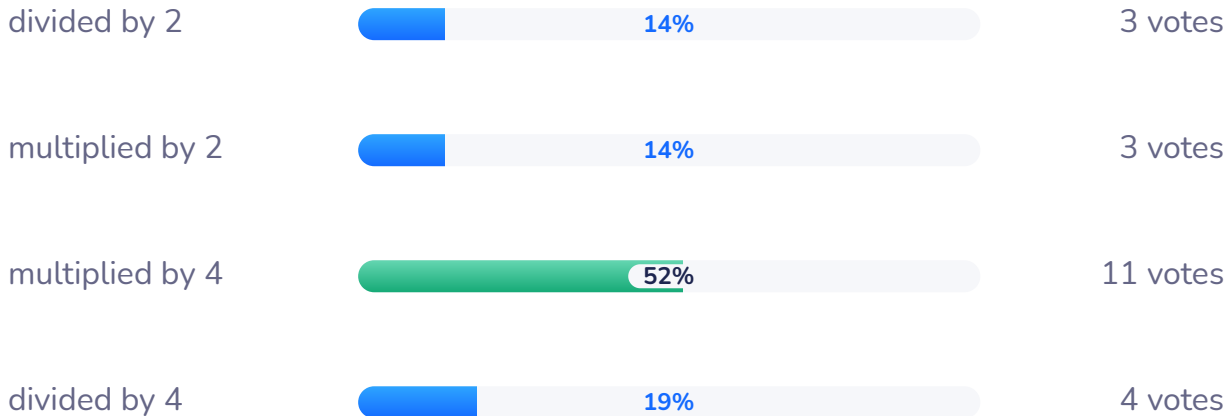


1 vote



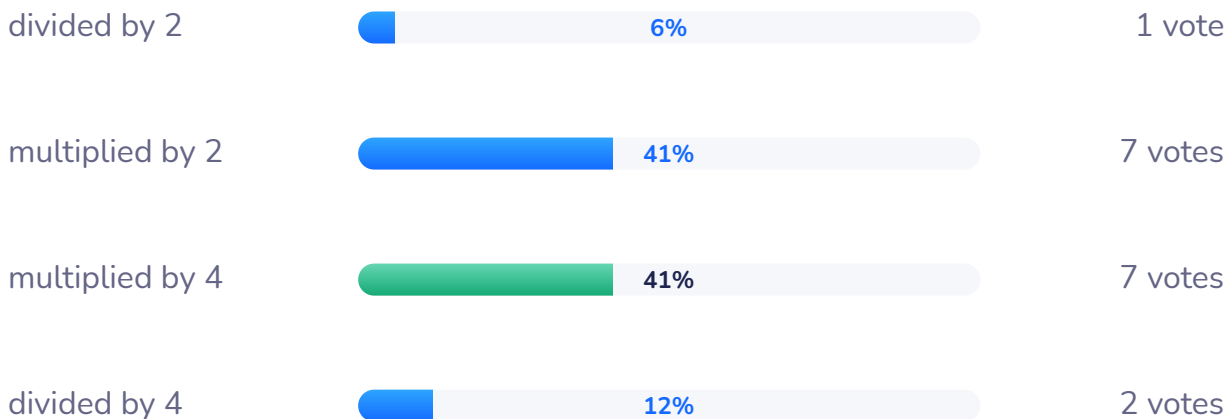
2. If the length of a bar is divided by 4, its natural frequency corresponding to traction-compression modes is

11 correct answers
out of 21 respondents



3. If the length of a beam is divided by 2, its first natural frequency corresponding to a bending mode shape is

7 correct answers
out of 17 respondents





4. multiplied by 4, its natural frequencies are

9 correct answers
out of 16 respondents

multiplied by 4



3 votes



multiplied by 2



9 votes

divided by 2



2 votes

multiplied by 16

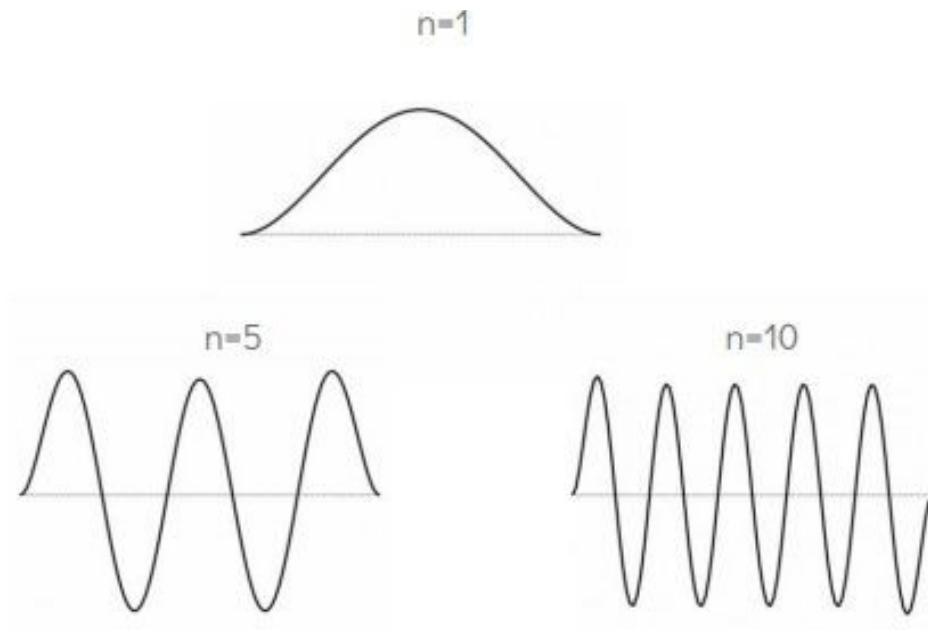



2 votes

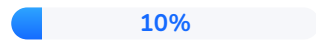


5. From which kind of continuous system are these the modeshapes?

14 correct answers
out of 20 respondents



 A simply supported beam



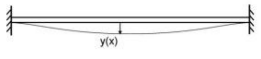
2 votes

 A cantilevered beam



4 votes



 A double cantilevered beam



14 votes



6. Modal truncation consists in

11 correct answers
out of 18 respondents



computing the response of a system using only the modes which are excited by the external forces



11 votes

computing the response of a system using only the first 5 modes



4 votes

using a truncation of the Fourier series of the excitation signal



3 votes



7. When we truncate, what error do we introduce?

11 correct answers
out of 15 respondents

We change the number of resonance frequencies in the frequency band of interest



4 votes

We change the frequencies of the first 5 modes



0 votes



We ignore the influence of higher frequency modes in the frequency band of interest



11 votes



8. When performing modal truncation, the usual practice consists in

11 correct answers out of 23 respondents

taking strictly the number of modes present in the frequency band of interest



5 votes



taking the number of modes in the band $[0 \ 1.5 \cdot w_{max}]$ where w_{max} is the max frequency of the band of interest



11 votes

taking the number of modes in the band $[0 \ w_{max}/1.5]$ where w_{max} is the max frequency of the band of interest



7 votes

9. Consider a bar for which the ten first natural frequencies are at 1, 2, 3, 4, 5, 6, 7, 8, 9 and 10 Hz. You wish to compute the response using the truncation in the modal basis, from 0 to 5 Hz. How many modes should you use ?



12 correct answers out of 20 respondents

5 modes



7 votes

10 modes



1 vote



8 modes



12 votes