

VIB : Vibration sources and Fourier Analysis

Number of participants: 0





2. After watching the video I think that

0 correct answer
out of 0 respondent



I understood most of the content

0%

0 votes



I understood the general concepts but did not grasp the mathematics

0%

0 votes



I did not understand the concepts nor the mathematics

0%

0 votes



3. The following are examples of free mechanical vibrations

0 correct answer
out of 0 respondent



A bell ringing

0%

0 votes

A worker using a jack hammer

0%

0 votes



The bar of a football goal vibrating after being hit by a ball

0%

0 votes

Vibrations due to a spinning washing machine

0%

0 votes



4. Which of the following statements are true ?

0 correct answer
out of 0 respondent



A harmonic excitation is a special case of a periodic excitation

0%

0 votes

A periodic excitation is a special case of a harmonic excitation

0%

0 votes

The period of a random signal is much smaller than for an harmonic one

0%

0 votes



A random force signal has an infinite period

0%

0 votes



5. A rigid rotating machine induces a force that is

0 correct answer
out of 0 respondent



periodic

0%

0 votes



harmonic

0%

0 votes

random

0%

0 votes



6. Any rotating machine produces a

0 correct answer
out of 0 respondent

harmonic force

0%

0 votes



periodic force

0%

0 votes

random force

0%

0 votes



7. When the rotational speed of a machine increases, the frequency of the forces produced

0 correct answer
out of 0 respondent



Increases proportionally

0%

0 votes

Decreases proportionally

0%

0 votes

Increases with the square of the rotational speed

0%

0 votes

Decreases with the square root of the rotational speed


0%

0 votes

 **8. The force applied by a pedestrian walking or running at constant speed on a bridge is**

0 correct answer
out of 0 respondent

harmonic 0% 0 votes

 periodic 0% 0 votes

random 0% 0 votes

 **9. The main frequency of excitation for walking pedestrians is around**

0 correct answer
out of 0 respondent



No answers in this question

Correct answer

Between 1 and 3



10. The discrete Fourier transform applies to

0 correct answer
out of 0 respondent

any type of signal

0%

0 votes

only random signals

0%

0 votes



only periodic signals

0%

0 votes



11. The discrete Fourier transform computes amplitudes of sine and cosine functions at frequencies which are

0 correct answer
out of 0 respondent

multiples of the fundamental angular frequency = $2\pi/T$

0%

0 votes

odd multiples of the fundamental frequency = $2\pi/T$

0%

0 votes

multiples of the fundamental frequency = $1/T$

0%

0 votes

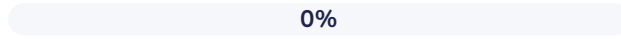


12. It is interesting to transform an excitation signal from the time domain to the frequency domain because

0 correct answer
out of 0 respondent



It provides information about the main frequencies of excitation which could cause structural resonance



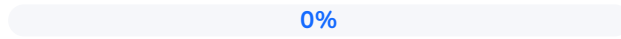
0 votes

The signal is more compact in the frequency domain



0 votes

It is easier to add signals in the frequency domain



0 votes



13. The continuous Fourier transform applies to

0 correct answer
out of 0 respondent



any type of signal



0 votes

periodic signals only



0 votes

harmonic signals only



0 votes

it depends on the type of excitation of the system



0 votes



14. The continuous Fourier transform of a rectangle (pulse) is

0 correct answer
out of 0 respondent

a cosine function 0% 0 votes

a sine function 0% 0 votes



a sinc function 0% 0 votes

a complex function which cannot be computed analytically 0% 0 votes



15. For a SDOF system (and MDOF), the Fourier transform of the impulse response $h(t)$

0 correct answer
out of 0 respondent



allows to extract the information about the natural frequency 0% 0 votes

cannot be computed analytically 0% 0 votes



is the transfer function $X(w)/F(w)$ 0% 0 votes



16. When using Fast Fourier Transform on sampled signals, you can increase the frequency resolution by

0 correct answer
out of 0 respondent

decreasing the time step of the sampling signal, keeping the total measurement time constant

0%

0 votes

increasing the time step of the sampling signal, keeping the total measurement time constant

0%

0 votes



increasing the measurement time, whatever the time step of the sampling signal

0%

0 votes



17. When using DFT, the time step of the sample signal has an influence on

0 correct answer
out of 0 respondent

The frequency resolution of the DFT

0%

0 votes



The maximum frequency of the DFT

0%

0 votes

It has no influence on the DFT

0%

0 votes